

# Pulsar scattering in space and time

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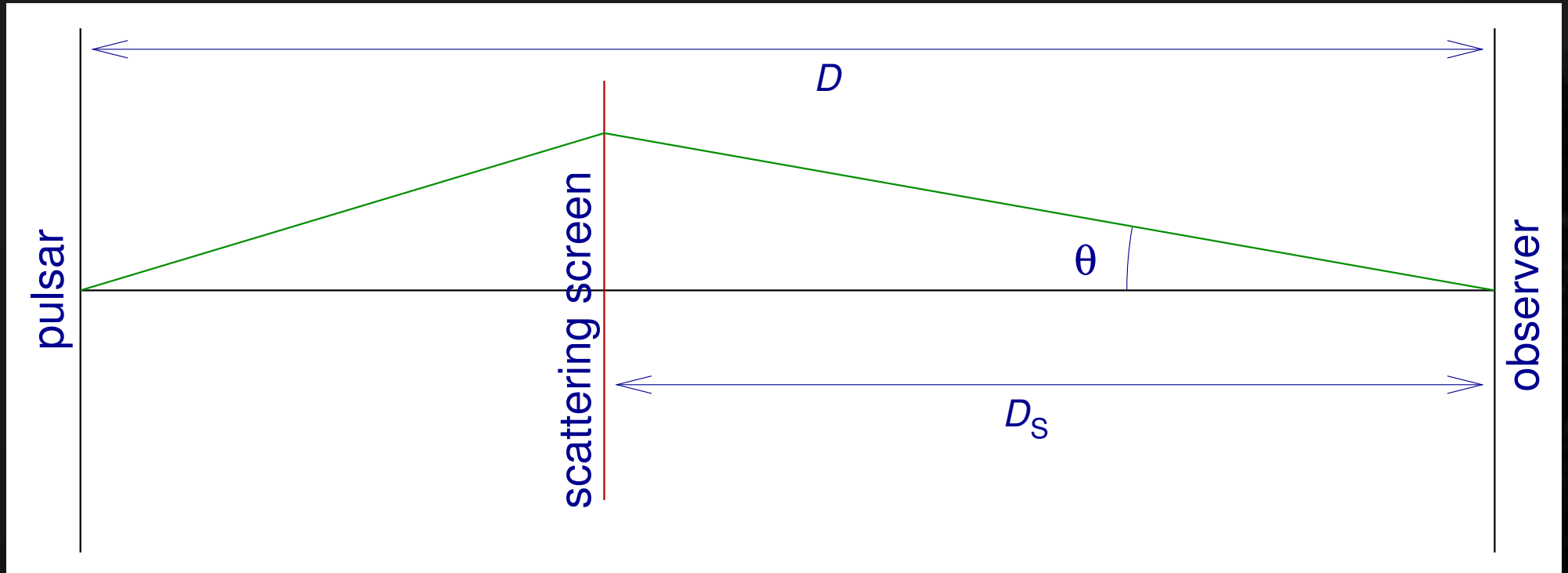


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# Pulsar scattering in space and time

- introduction
- temporal and angular broadening
- secondary spectrum
- direct 3-dim approach
- global VLBI project
- preliminary results
- outlook

# Interstellar scattering: geometry



$$\tau = \frac{1}{2} \theta^2 D'$$

$$D' = \frac{DD_s}{D - D_s} \sim D$$

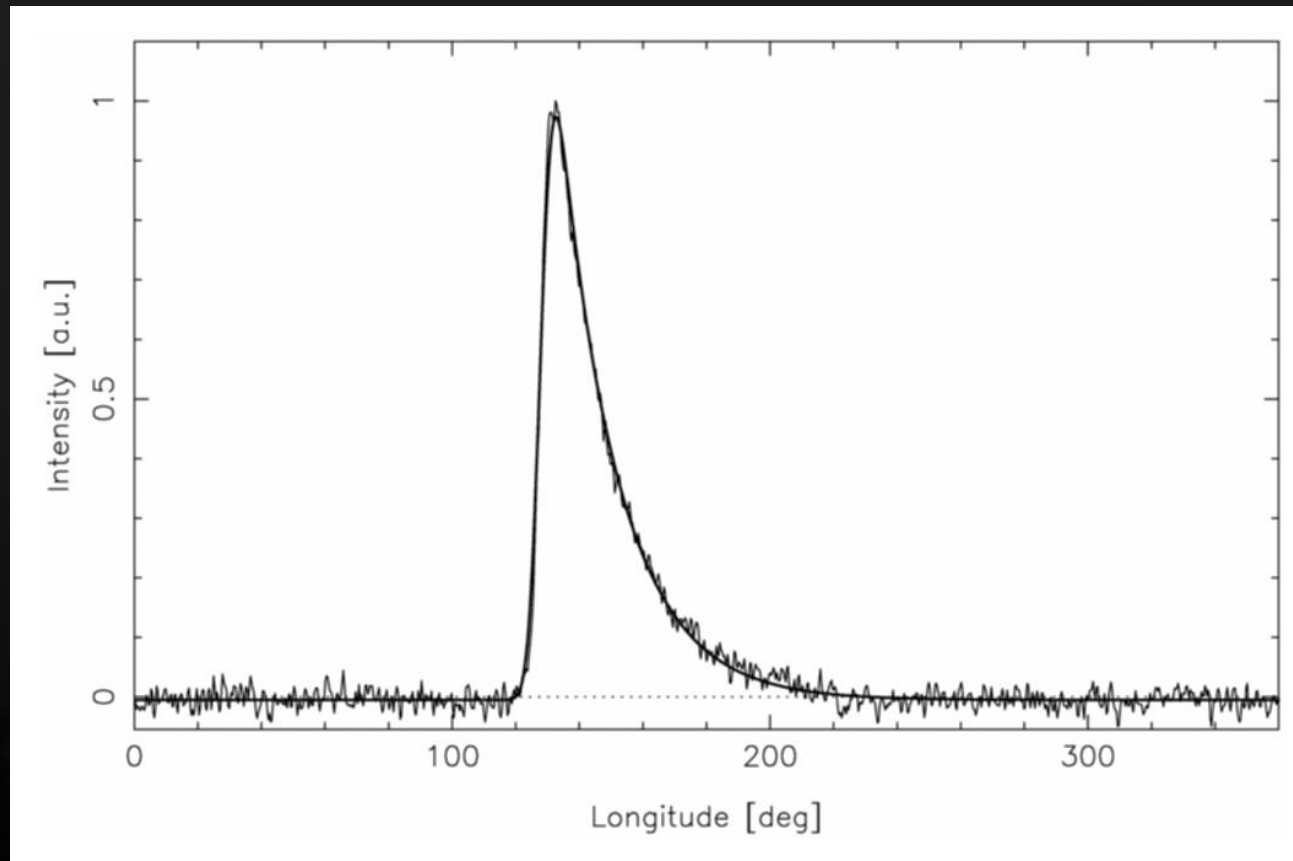
# Effects of scattering

- many 'speckles' with different  $\theta$
- ↪ angular broadening (not always resolved)
- delays ↪ temporal broadening (not always resolved)
- scintillation, correlated over  $\Delta\nu \approx 1/\tau$
- all smeared out for large sources
- ↪ relevant for some AGN and for pulsars
- typical wavelength-dependence:  $\theta \propto \lambda^{2.2}$ ,  $\tau \propto \lambda^{4.4}$
- What can we learn from  $2\tau \sim \theta^2 D'$  ?

# Pulsars

- . . . are sufficiently small
- . . . provide way to measure  $\tau$  if  $>$  intrinsic width

B1815-14 at 1.4 GHz



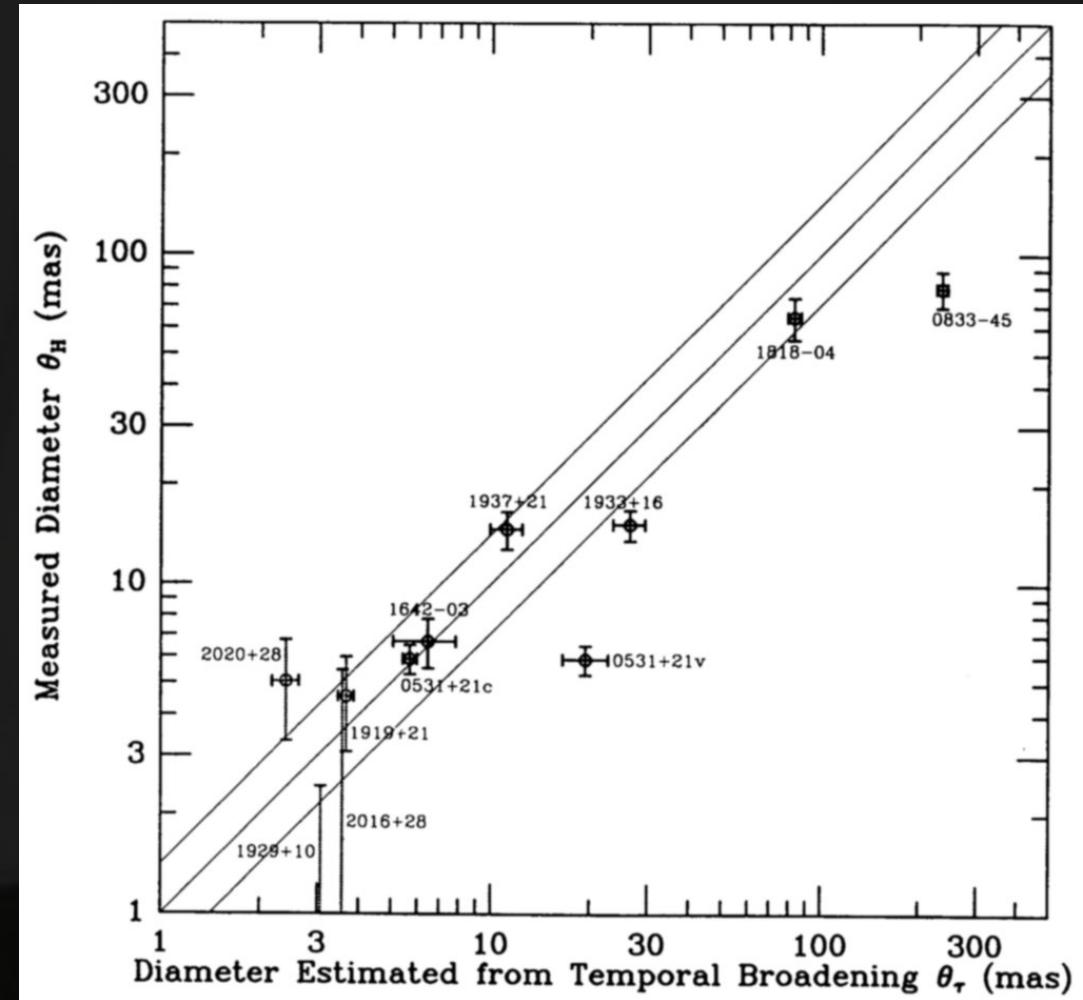
[ Loehmer et al. (2001) ]

- angular broadening can sometimes be measured with VLBI

# Comparing angular and temporal broadening

for uniform distribution  $0 \leq D_s \leq D$

- $\tau = \frac{1}{2} \theta^2 \frac{DD_s}{D - D_s}$
- can determine 'effective'  $D_s$
- but not the distribution!
- uniform (mostly) fits well

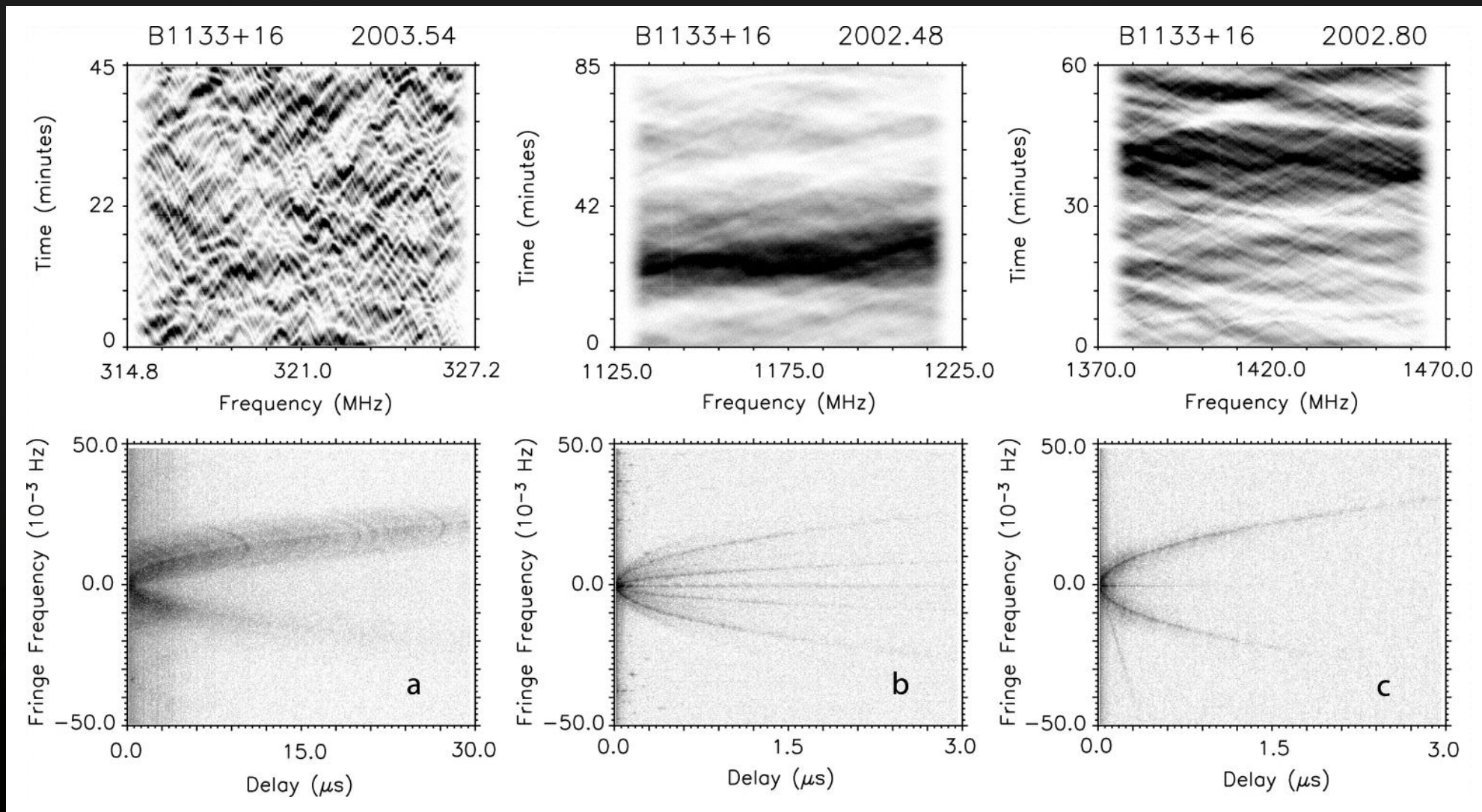


[ Gwinn et al. (1993) ]

at 326 MHz

# Secondary spectrum

- 2-d Fourier transform of dynamic spectrum



[ Cordes et al. (2006) ]

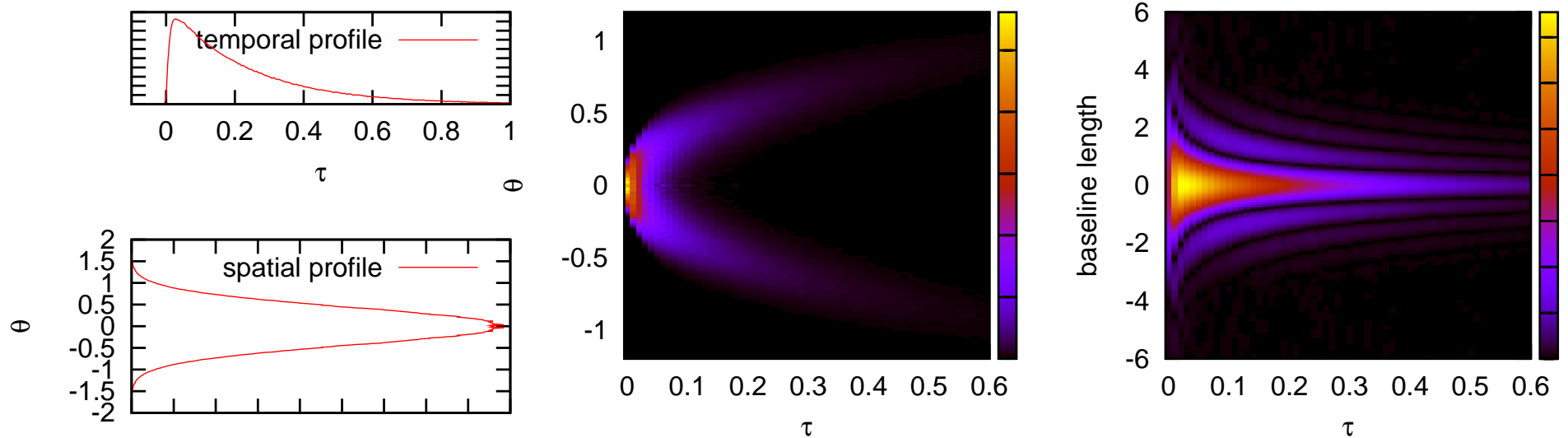
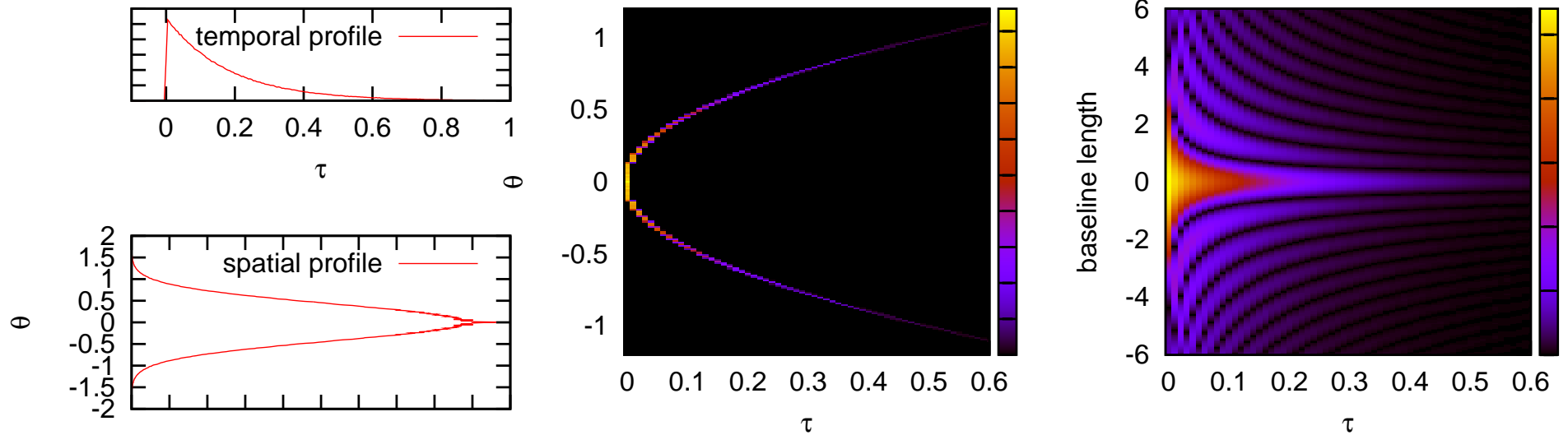
# Interpretation of secondary spectrum

- $\tau$  from FT(freq)
- angle from FT(time) via Doppler effect:  $\dot{\tau} \propto \theta \cdot \dot{\theta} \leq |\theta| |\dot{\theta}|$
- $\tau \geq \text{const} \times \dot{\tau}^2$  relative to  $\theta = 0$
- parabolic (inverted) arcs can be explained
- can be extended to interferometry [ *Brisken et al. (2010)* ]
- needs Doppler as proxy for  $\theta$  (model-dependent)
- does not utilise the pulses
- can we do it directly?

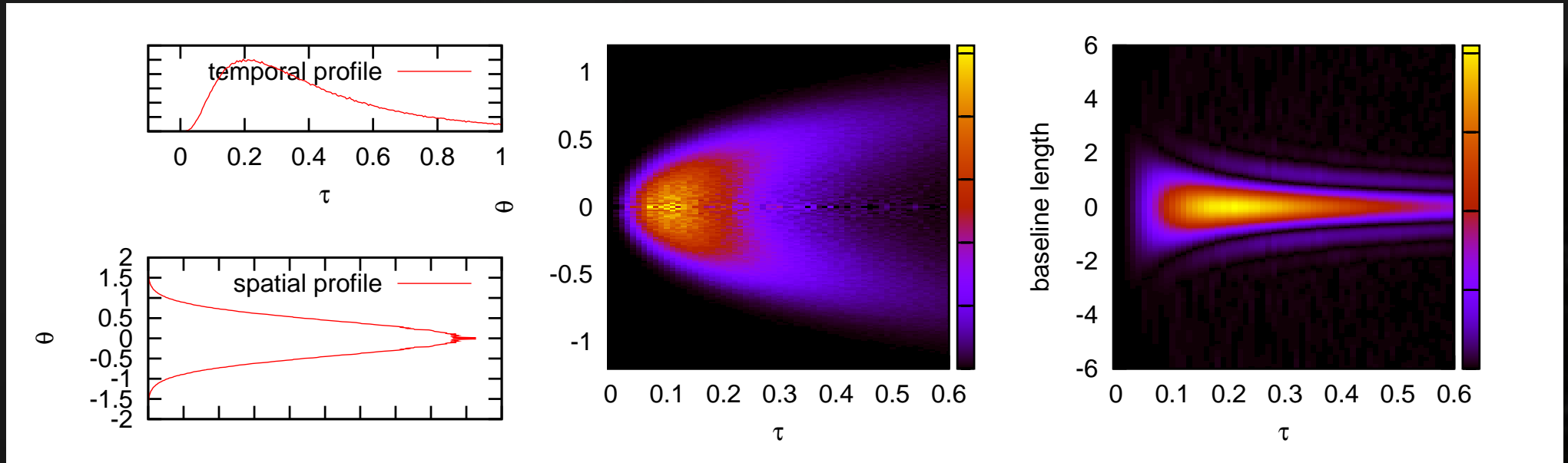
measure shape/size as function of  $\tau$  or vice versa



# Pulsar scattering: one/three screens



# Pulsar scattering: continuous medium



- can not only determine distance
- but distribution
- detect anisotropies?
- less model-dependent

# The project

- global VLBI experiment GW022A/B June 2011  
with Michael Kramer, Joris Verbiest (ephemerides)
- 1.4 GHz
  - ★ 4 target pulsars, 3 control pulsars, fringe-finders
  - ★ VLBA, JB, WB, EF, ON, MC, TR, AR
  - ★ 8 h total (asked for more), 512 Mb/s
- 327/610 MHz
  - ★ 5 target pulsars, 3 control pulsars, fringe-finders
  - ★ VLBA, JB, WB, EF, AR
  - ★ 8 h total (asked for more), 256 Mb/s

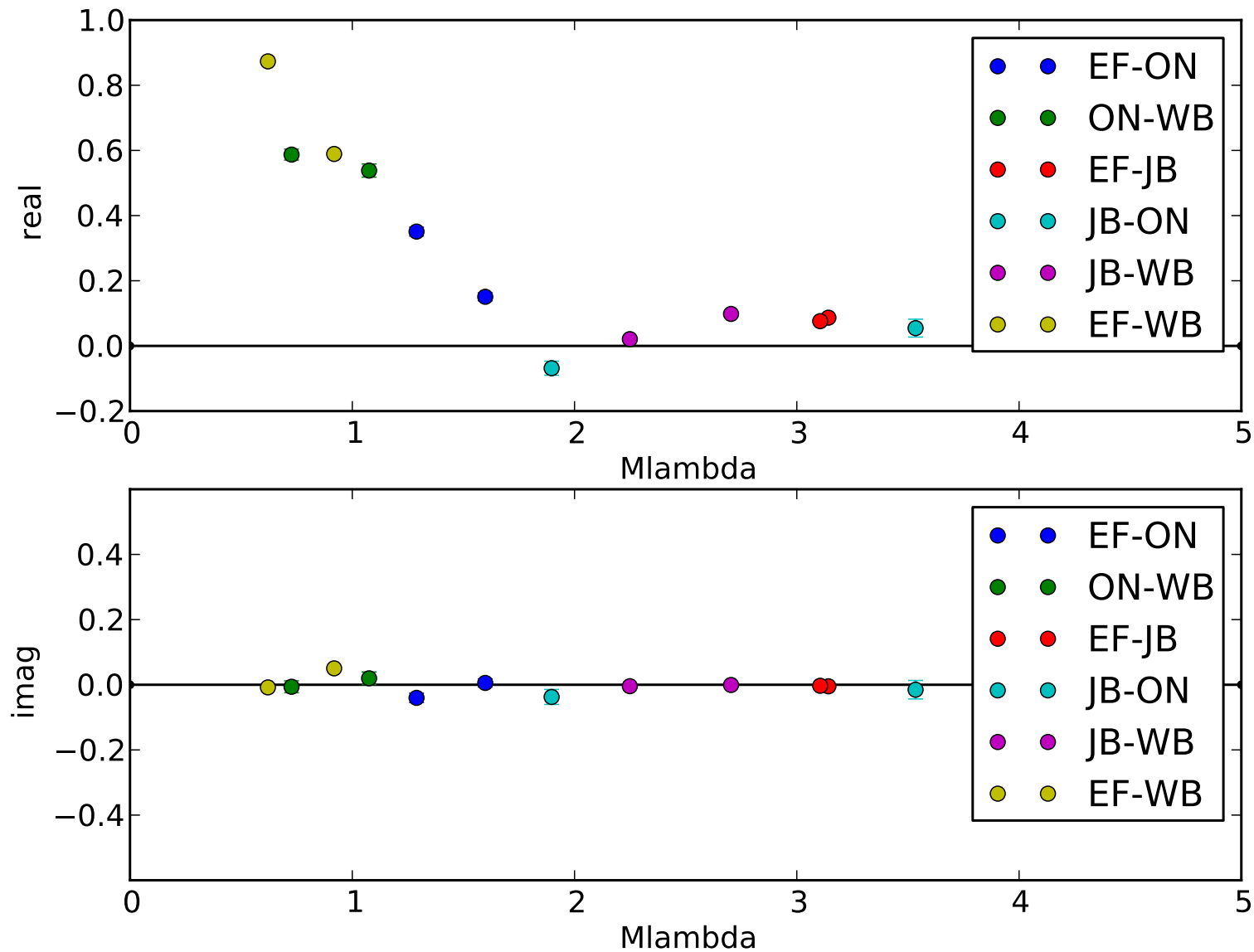
# The targets

names	$D$ [kpc]	DM [pc cm <sup>-3</sup> ]	$P$ [sec]	freq [GHz]	$S$ [mJy]	$\tau$ [msec]	$\theta_{\text{FWHM}}$ [mas]	$\lambda/\theta$ [km]
<b>J1818–1422</b> <b>B1815–14</b>	<b>8.1</b>	<b>622</b>	<b>0.2915</b>	<b>1.4</b>	<b>7.1</b>	<b>15</b>	<b>92</b>	<b>470</b>
J1842–0359 B1839–04	4.2	196	1.8399	1.4	4.4	<b>4.6</b>	144	300
J1848–0123 B1845–01	3.8	159	0.6594	0.327 1.4	105 8.6	<b>142</b> <b>0.23</b>	410 17	460 2500
J1852+0031 B1849+00	10.0	787	2.1802	1.4	2.2	<b>34–280</b>	125–358	120–350
J1901+0331 B1859+03	8.0	402	0.6555	0.327	300	<b>200</b>	339	560
J1935+1616 B1933+16	4.6	157	0.3587	0.327	320	<b>0.9</b>	<b>15–30</b>	6300–13000
J1939+2134 B1937+21	8.3	71	0.0016	0.327	400	<b>0.13</b>	<b>8.5–15</b>	13000–22000
J1948+3540 B1946+35	7.9	129	0.7173	0.327	226	<b>32</b>	136	1400

# Analysis

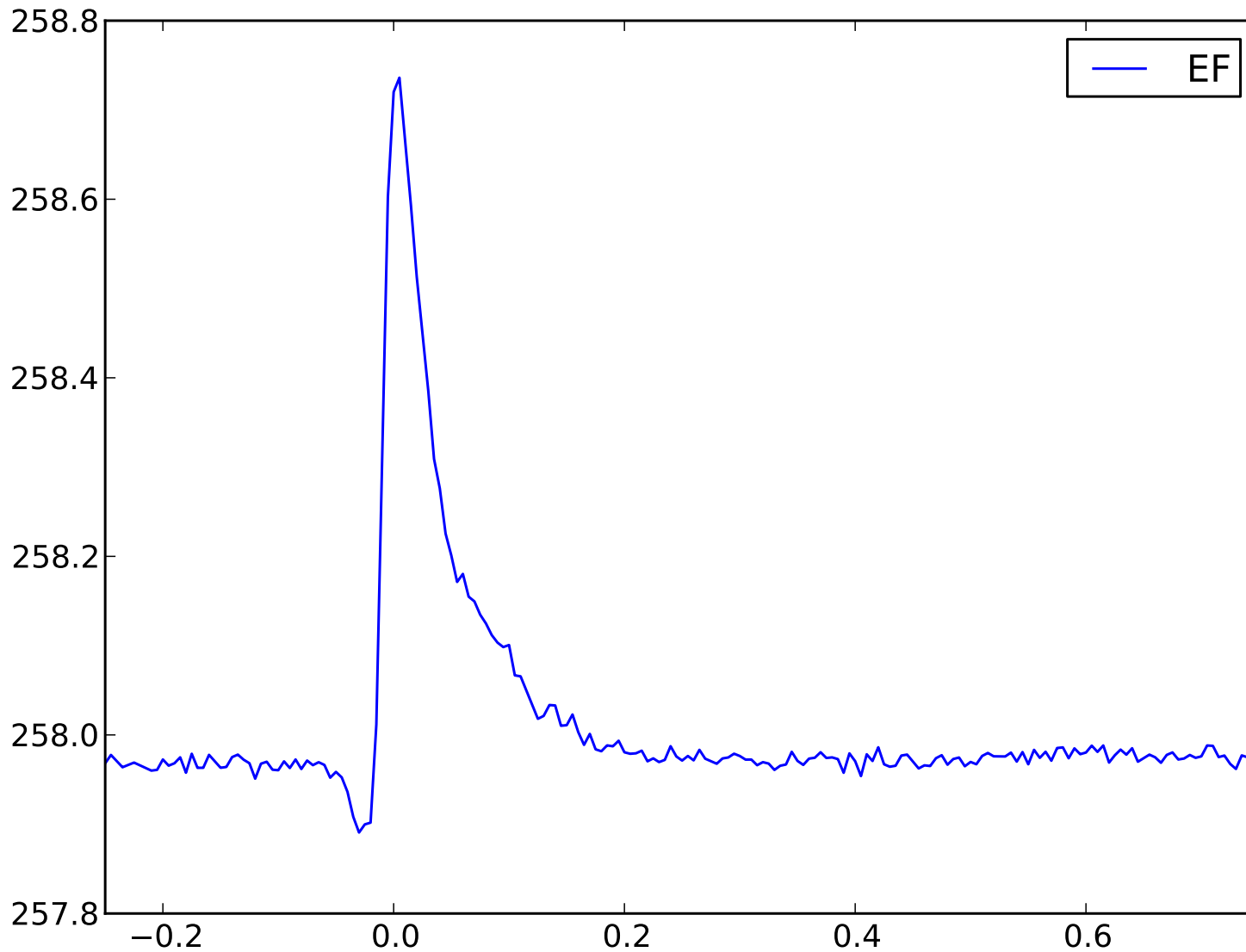
- *in progress. . .*
- correlation with DiFX in Bonn (MPIfR/AIfA)
  - ★ make profiles, create matched filter
  - ★ gated correlation (baselines and autos)
  - ★ calibration in AIPS (amplitudes from control pulsars)
  - ★ binned correlation (e.g. 400 bins)
  - ★ calibrate binned correlations with same CL
- produce
  - ★ images as function of pulse phase ( $\tau$ )
  - ★ **pulse profiles as function of baseline**
- show B1815–14 at 1.4 GHz, two scans: 15+21 min, EF,(JB),ON,WB

# B1815-14 at 1.4 GHz: gated visibilities

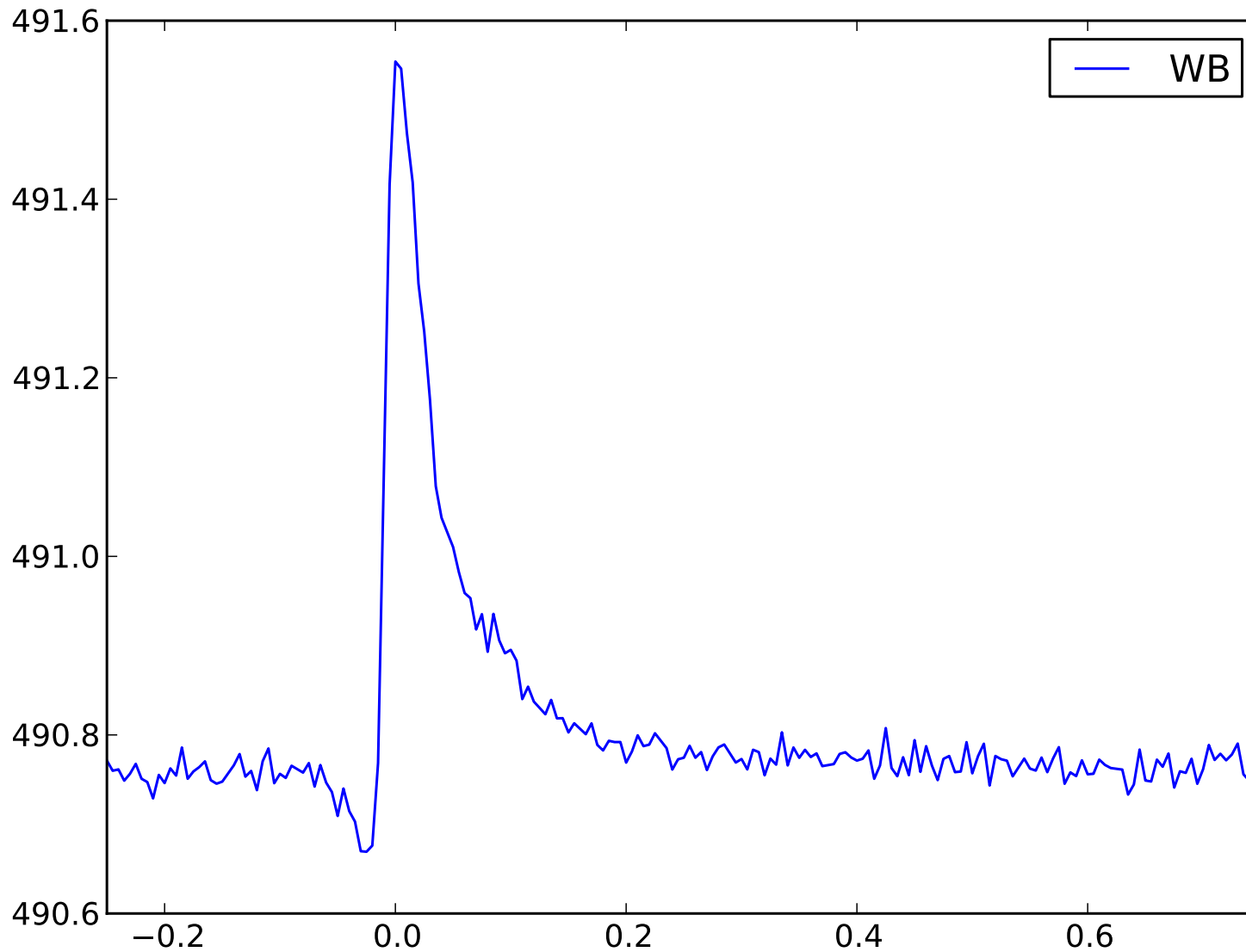


only short baselines, do not trust JB calibration

# Pulse profiles: autocorrelations (1)

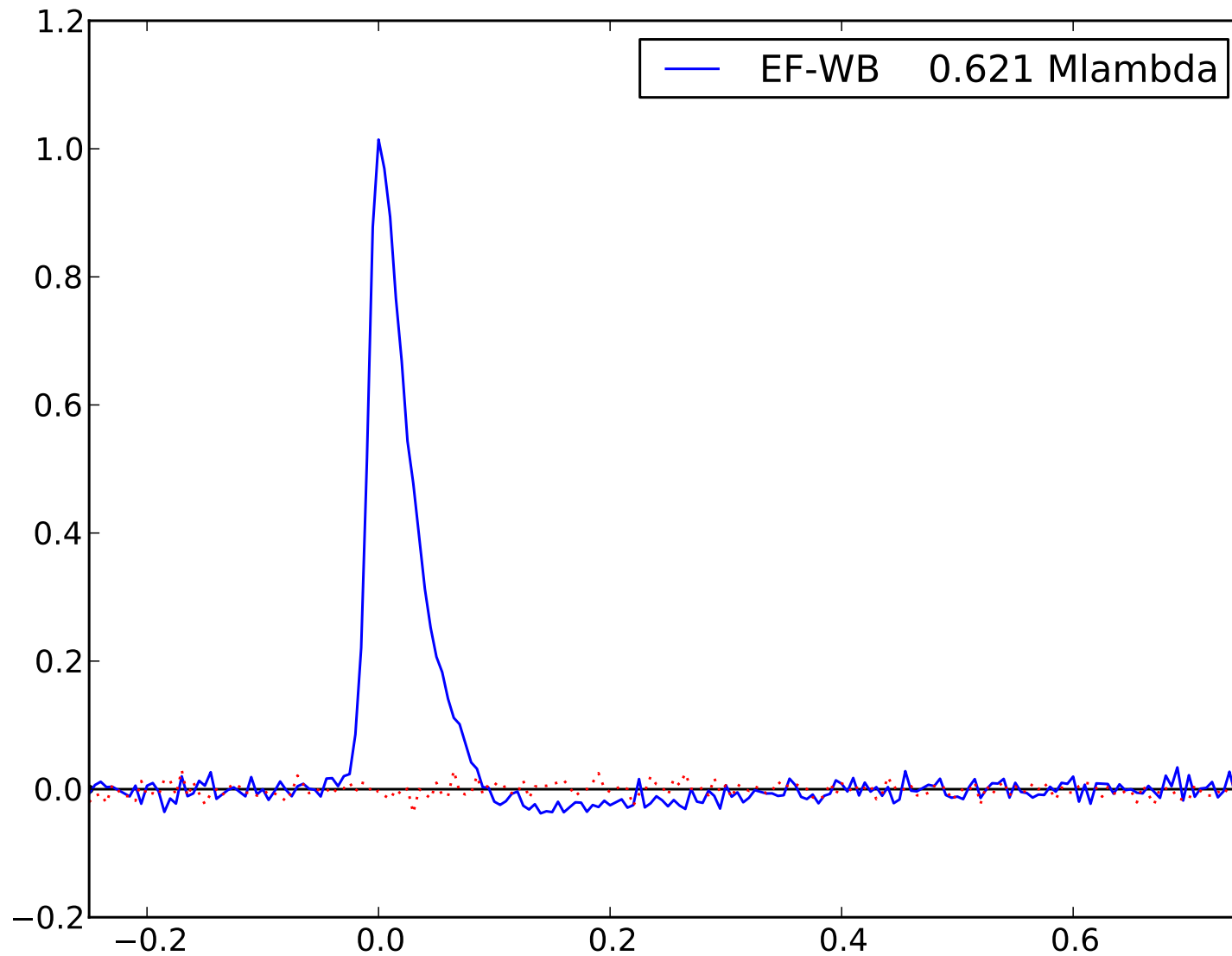


# Pulse profiles: autocorrelations (2)

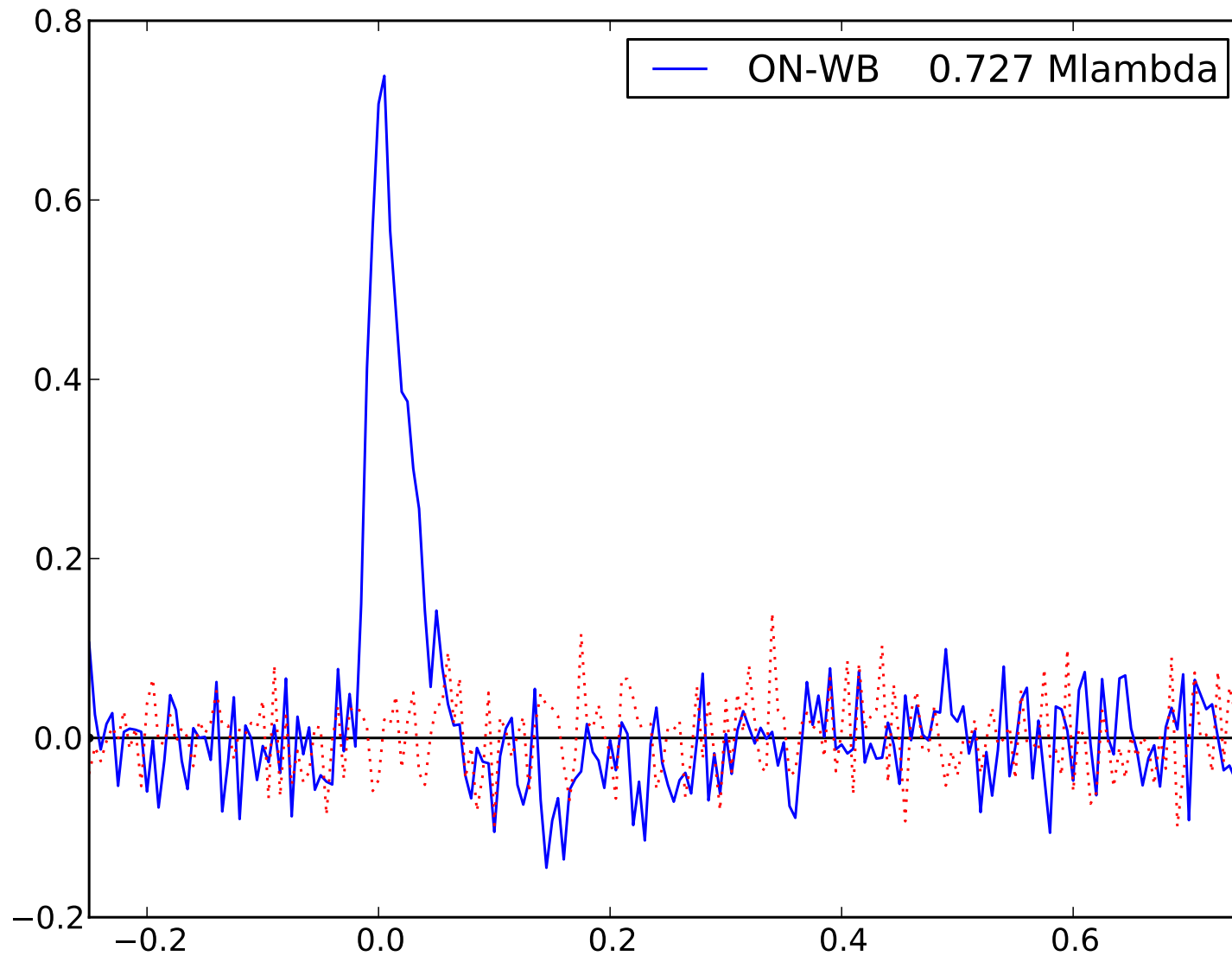




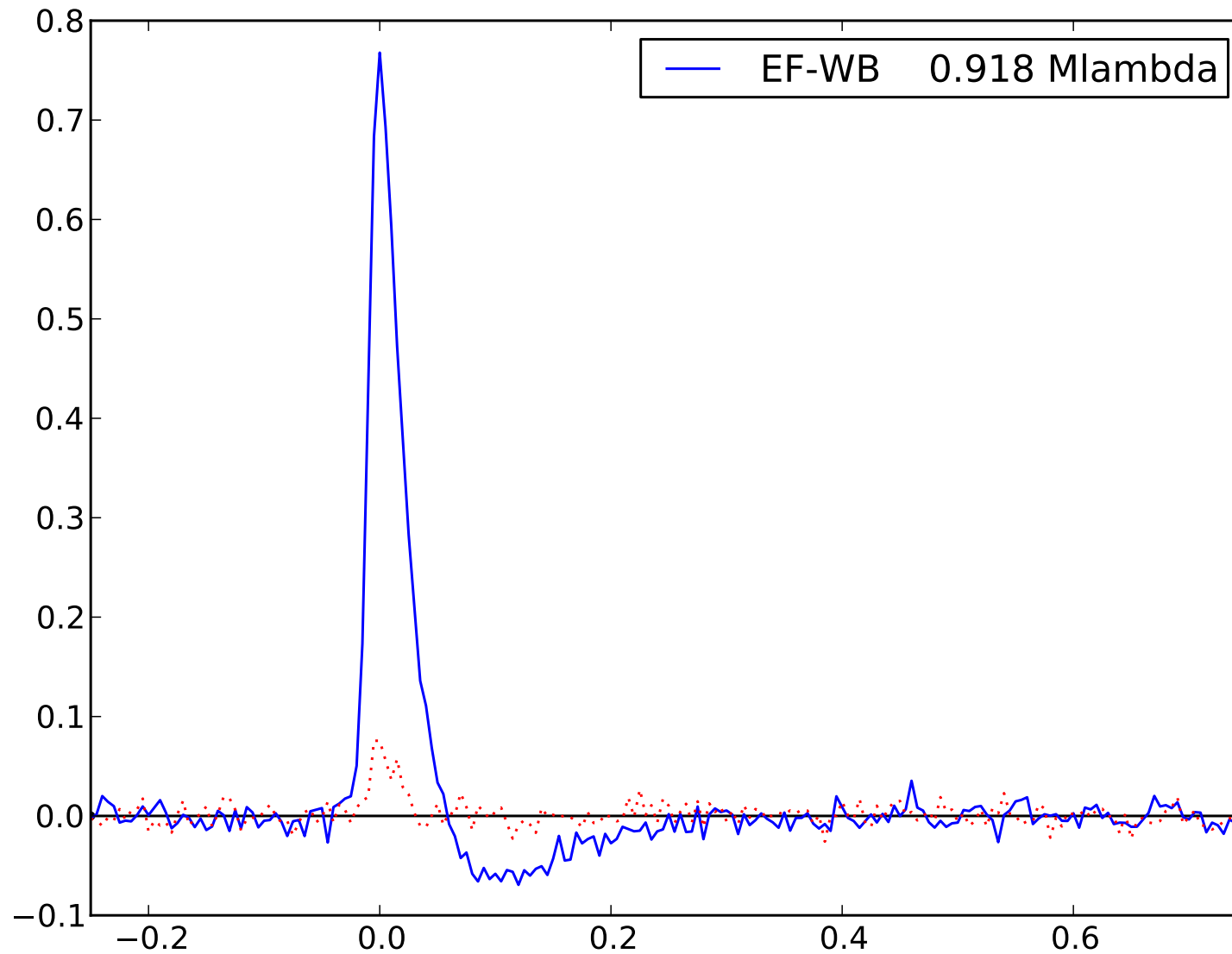
# Pulse profiles: cross-correlations at 0.621 Mlambda



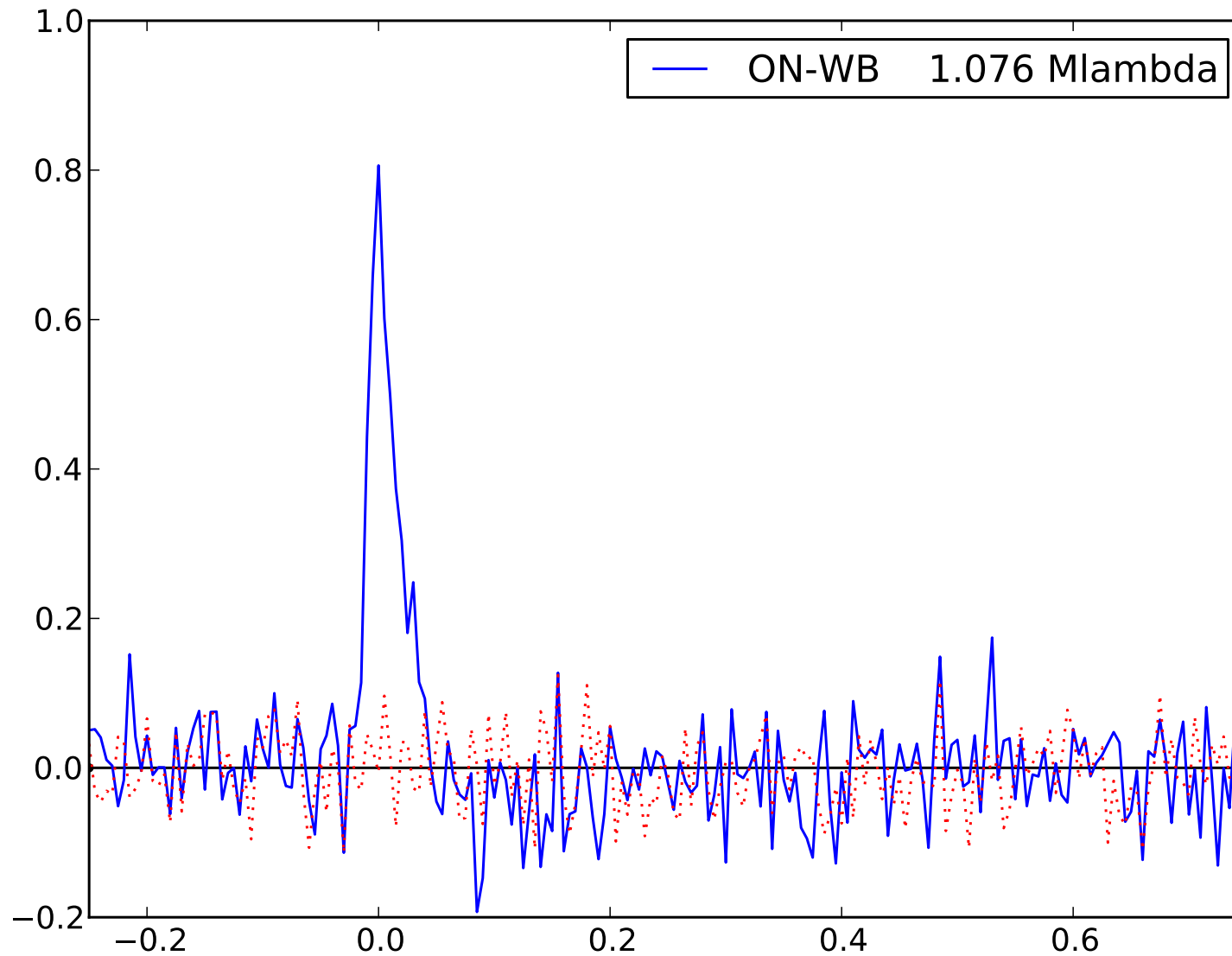
# Pulse profiles: cross-correlations at 0.727 Mlambda



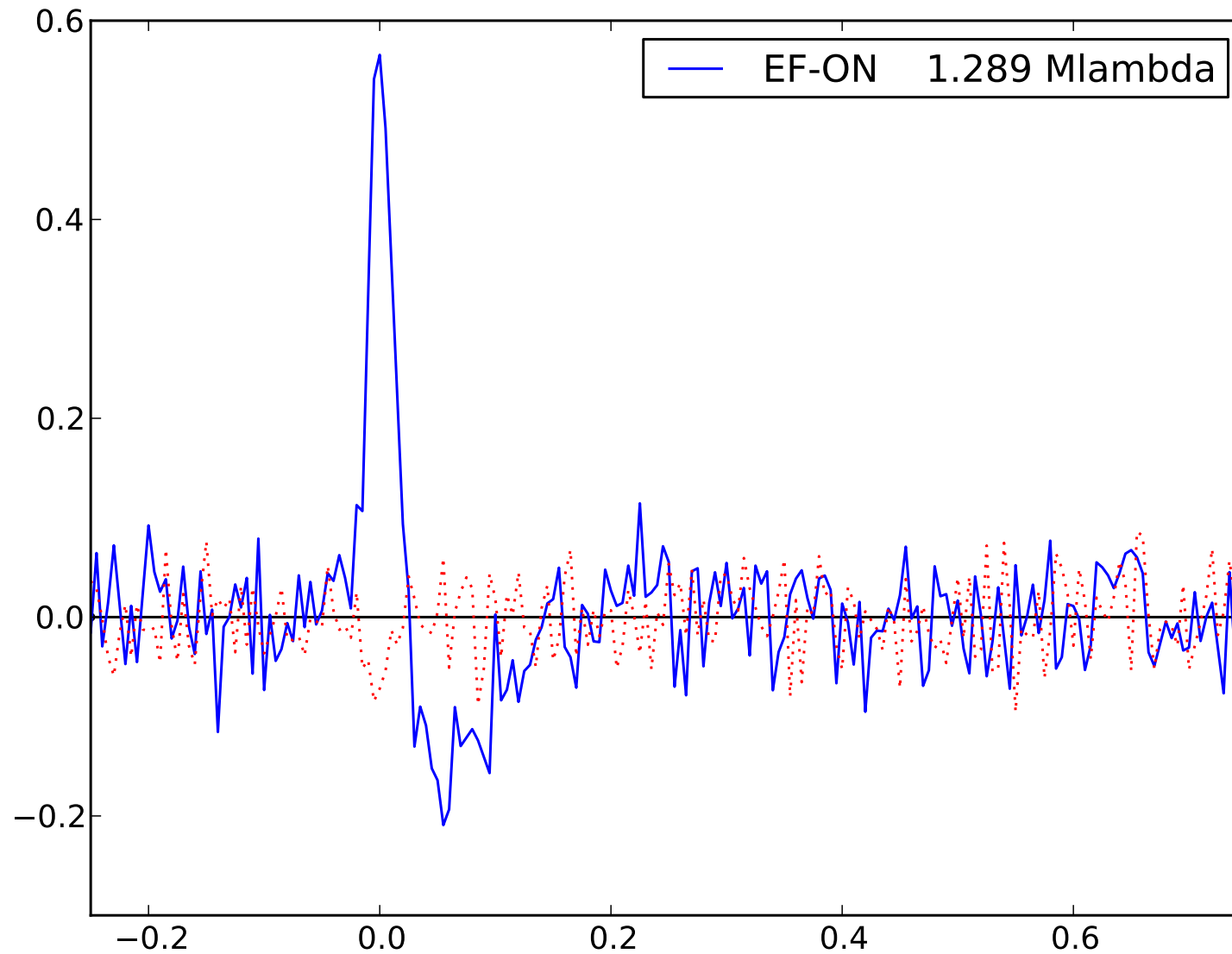
# Pulse profiles: cross-correlations at 0.918 Mlambda



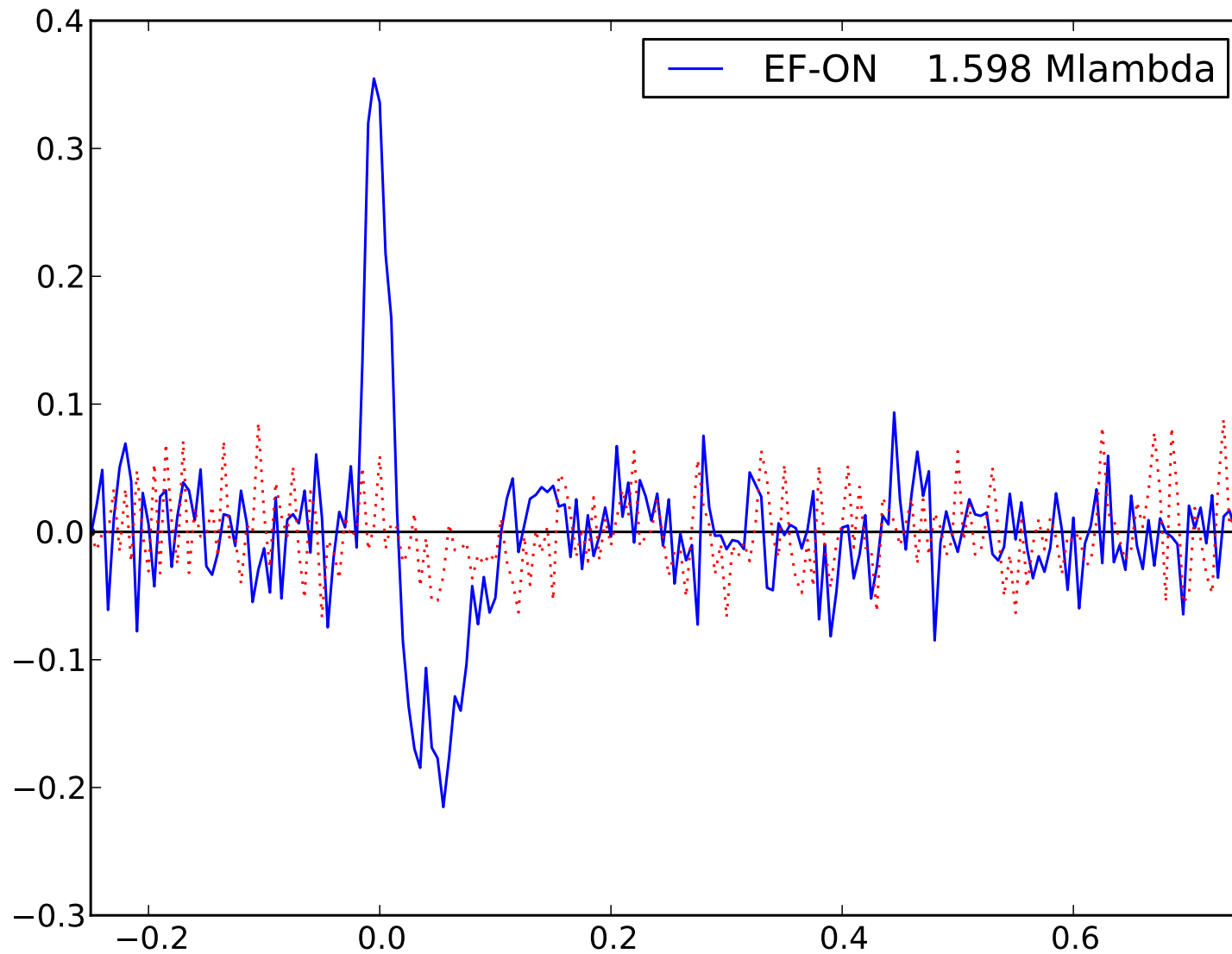
# Pulse profiles: cross-correlations at 1.076 Mlambda



# Pulse profiles: cross-correlations at 1.289 Mlambda



# Pulse profiles: cross-correlations at 1.598 Mlambda



# To come soon

- make images (show expanding rings?)
- amplitude calibration using autocorrelations
  - ★ baseline gains  $g_{12} = g_1 \bar{g}_2$
  - ★ not possible in general (noise and RFI in autocorrelations)
  - ★ we have pulsars: can use folded profile
  - ★ 2-bit sampling: different scale for auto and cross
  - ★ for Gaussian signal: understand the maths, can correct
  - ★ pulse-cal, switched power: distort sampler statistics  
(*can introduce closure errors!*)
  - ★ can take that into account (extension of DiFX)
  - ↪ currently good to  $\sim 10\%$
- quantitative analysis for ISM

# Summary

- 3-dim scattering study
  - ★ temporal broadening (1 dim)
  - ★ angular broadening (2 dim)
- so far only radial, no full calibration
- will produce 2-dim images, expanding rings or blobs
- ↪ distribution of scattering screen(s)
  - 3 more targets at 1.4 GHz, 5 at 327/610 MHz
  - future:
    - ★ use pulsar backends
    - ★ LOFAR (with LWA?), RadioAstron?